## ON NEUMANN-POINCARÉ OPERATORS AND SELF-ADJOINT TRANSMISSION PROBLEMS

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ABSTRACT. In this talk, we discuss the self-adjointness in  $L^2$ -setting of the operators acting as  $-\operatorname{div}(h\nabla \cdot)$ , with piecewise constant functions h having a jump along a Lipschitz hypersurface  $\Sigma$ , without explicit assumptions on the sign of h. We establish a number of sufficient conditions for the selfadjointness of the operator with  $H^{\frac{3}{2}}$ -regularity in terms of the jump value and the regularity and geometric properties of  $\Sigma$ . An important intermediate step is a link with Fredholm properties of the NeumannPoincaré operator on  $\Sigma$ , which is new for the Lipschitz setting. Based on joint work with Konstantin Pankrashkin.

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